

Name:

Class Period:

Date:

What is Fluid Flow?

Needed Supplies: Ruler, Stopwatch, PFPD

Instructions: Read the following about fluid flow and how it relates to the PFPD you previously worked on. This particular lesson will use your knowledge of time, displacement, and velocity to determine the actual flow rate that the PFPD is delivering to each cylinder.

Theoretical Background

- Flow
 - Flow rate is defined as a volume displaced per unit time.

- $Q=VA$ (Equation 1.1)

- Q is volumetric flow rate (in³ per second)

- V is velocity (inches per second)

- A is area (in²)

- Hydraulic Cylinders

- In any cylinder there are two sides to the piston:



- When the cylinder extends, the system fluid pushes against an area equal to the area of the cylinder (A_c).

- The velocity of the cylinder rod in this case is:

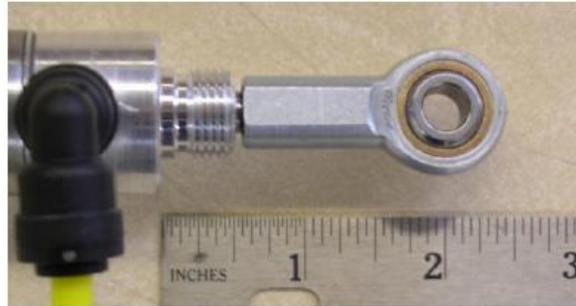
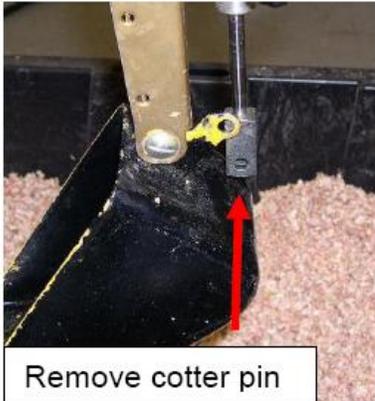
- $V = Q / A_c$ (Equation 1.2)

- When the cylinder retracts, the system fluid pushes against an area equal to the cylinder area minus the area of the rod. ($A_c - A_r$).

- The velocity of the cylinder rod in this case is:

- $V = Q / (A_c - A_r)$ (Equation 1.3)

- The difference between the areas used to extend and retract the piston is called the area ratio of the cylinder. In this case, the two areas are A_c and $(A_c - A_r)$



Experiment

1. Turn on system pump
2. Remove cotter pin and fully retract the bucket cylinder
3. Place ruler at base of cylinder body (refer to picture above)
4. Using ruler, measure and record the initial position of the cylinder rod (X_1)
5. Fully extend the cylinder and record how long it takes with stopwatch (T)
6. Using ruler, measure and record the distance that the cylinder rod travelled (X_2)

Data/Calculations

- **Flow rate during cylinder extension**
- $X_1 = \underline{\hspace{2cm}}$ in (initial position)
- $X_2 = \underline{\hspace{2cm}}$ in (final position)
- $T = \underline{\hspace{2cm}}$ sec (how long it took to get from X_1 to X_2)
- $V = (X_2 - X_1) / T = \underline{\hspace{2cm}}$ in/sec (velocity)
- $A_c = .44 \text{ in}^2$
- $Q = V A_c = (\underline{\hspace{2cm}} \text{ in/sec})(\underline{\hspace{2cm}} \text{ in}^2)$
- $Q = \underline{\hspace{2cm}} \text{ in}^3/\text{sec}$
 - Multiply by $(1 \text{ Gal}/231 \text{ in}^3)(60 \text{ sec}/1 \text{ min})$ to convert to GPM
- $Q = \underline{\hspace{2cm}}$ GPM
- **Flow rate during cylinder retraction**
- $X_1 = \underline{\hspace{2cm}}$ in (initial position)

