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## Stay in Shape - Datasheet

## Ship \#1:

First find the distance from Point A to Point B:
$10 \mathrm{~km} /$ hour x 1 hour $=$ $\qquad$ km

Next observe that the triangle you have made is $1 / 2$ of a square. Remembering that all sides of a square have equal lengths, what is the length from Point B to Point C?
$\qquad$ km


## Ship \#2:



First find the distance from Point D to Point E:
$10 \mathrm{~km} /$ hour $\times 1 / 2$ hour $=$ $\qquad$ km

We know that the island is 12 km from the lighthouse, so we have the lengths of two sides of the triangle and we know one angle is $90^{\circ}$ (this is a "right" triangle). Knowing all this means we can use the Pythagorean Theorem.

Side 1 x Side $1+$ Side 2 x Side $2=$ Side 3 x Side 3 :
$\qquad$ x $\qquad$ $+$ $\qquad$ x $\qquad$ $=$ $\qquad$ x $\qquad$
Do the left side first:
$\qquad$ $=$ $\qquad$ x_?

Side $3=$ $\qquad$ (km)

## Ship \#3:

First find the radius of the circle in squares (count them on the worksheet).
$\qquad$ . This is the value of one radian for this circle.

So each square is what fraction of a radian? $\qquad$ (divide 1 by the number of squares)

Convert the number of squares the ship traveled to radians: Distance (squares) $x$ radian fraction (radians/square) $=$
$\qquad$ x $\qquad$ $=$ $\qquad$ radians.

Since 3.14 (pi or $\pi$ ) radians $=180^{\circ}$ (half a circle):


Use a protractor to measure this number of degrees from the starting point radius of Ship \#3.
That is where the ship ends up. (Note: the angle drawn in this circle is not correct.)

