

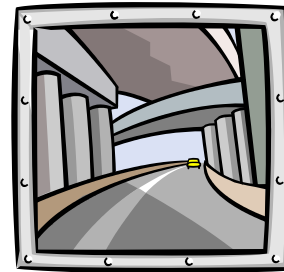
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Load Combinations Worksheet **Answers**

Show your work as you use the following load combinations to solve the problem.



Load Combinations

1. Ultimate load = dead load + live load + snow load
2. Ultimate load = dead load + live load + wind load (or earthquake load)
3. Ultimate load = dead load + live load + wind load + (snow load \div 2)
4. Ultimate load = dead load + live load + snow load + (wind load \div 2)
5. Ultimate load = dead load + live load + snow load + earthquake load

Calculate the five ultimate loads resulting from each combination for the following loads:

Dead load = 100,000 lbs

Live load = 30,500 lbs

Wind load = 5,020 lbs

Snow load = 400 lbs

Earthquake load = 5,000 lbs

Answer

Load combination 1: = $100,000 + 30,500 + 400 = 130,900$ lbs

Load combination 2: = $100,000 + 30,500 + 5020$ (or 5000) = $135,520$ lbs with wind load
OR = $135,500$ lbs with earthquake load

Load combination 3: = $100,000 + 30,500 + 5020 + (400 \div 2) = 135,720$ lbs

Load combination 4: = $100,000 + 30,500 + 400 + (5020 \div 2) = 133,410$ lbs

Load combination 5: = $100,000 + 30,500 + 400 + 5000 = 135,900$ lbs

From the five ultimate loads calculated above, for which ultimate load amount must the structure be designed?

The structure must be designed for **135,900 lbs** which is obtained with load combination 5.

Name:

Date:

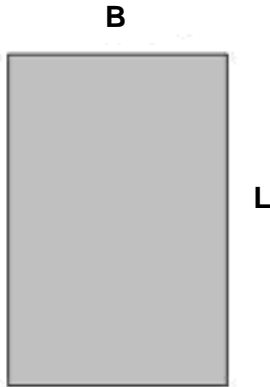
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Problem 1: Using the highest load calculated from the first page, calculate the required area of a rectangular shape made of concrete if it is a pier or a column with a compression force acting on it. If $L = 10$ inches, what must B be equal to?

The maximum compressive strength of this concrete is $4,000 \text{ lbs/in}^2$. Use the following equations to complete the problem. Show all work and calculations.

Highest ultimate load = (max. compressive strength) x (cross-sectional area)

Cross-sectional area = $(B) \times (L)$



Problem 1 cross-sectional area.

Answer

Highest ultimate load = 135,900 lbs

Cross-sectional area = highest ultimate load \div max. compressive strength

Cross-sectional area = $135,900 \text{ lbs} \div 4,000 \text{ lbs/in}^2$

Cross-sectional area = 33.975 in^2

If $L = 10$ inches,

$B = \text{cross-sectional area} \div L$

$B = 33.975 \text{ in}^2 \div 10 \text{ inches}$

$B = 3.3975 \text{ inches}$

Name:

Date:

Class:

Problem 2A: Using the highest load calculated from the first page, calculate the required area of the circular shape made of concrete if it is a pier or a column with a compression force acting on it. What is the radius of this circle? The maximum compressive strength of this concrete is 5,000 lbs/in².

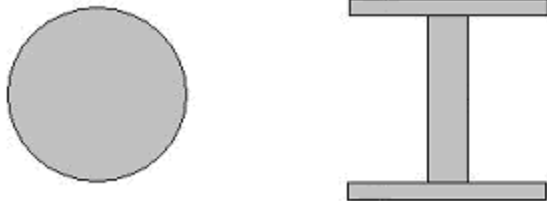
Problem 2B: Using the highest load calculated from the first page, calculate the required cross sectional area of the I-shape made of steel if it is a pier or a column with a tension force acting on it. The maximum tensile strength of this steel is 50,000 lbs/in².

Use the following equations to complete the problem. Show all work and calculations.

Highest ultimate load = (max. compressive strength) x (cross-sectional area)

Cross-sectional area of circle = $\pi \times (\text{radius})^2$ $\pi = 3.14$

Highest ultimate load = (max. compressive strength) x (cross-sectional area)



Problem 2 cross-sectional areas.

Answer

Highest ultimate load = 135,900 lbs

For the circular shape:

Cross-sectional area = highest ultimate load ÷ max. compressive strength

Cross-sectional area = 135,900 lbs ÷ 5,000 lbs/in²

Cross-sectional area = 27.18 in²

Radius of circle = square root of (cross-sectional area of circle ÷ π)

Radius of circle = square root of (27.18 in² ÷ 3.14)

Radius of circle = 2.942 inches

For the I-shape:

Cross-sectional area = highest ultimate load ÷ max. tensile strength

Cross-sectional area = 135,900 lbs ÷ 50,000 lb/in²

Cross-sectional area = 2.718 in²

Name:

Date:

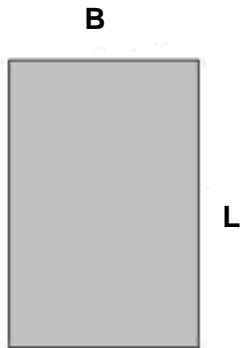
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Problem 3A: Using the highest load calculated from the first page, calculate the required Z_x of the rectangular shape made of steel if it is a beam or a girder with a length equal to 20 feet (or 240 inches). F_y of steel is equal to 50,000 lbs/in².

Problem 3B: What if the same beam was made of concrete with F_y equal to 4,000 lbs/in².

Use the following equations to complete the problem. Show all work and calculations.

$$Z_x = (\text{force} \times \text{length}) \div (F_y \times 4)$$



Problem 3 cross-sectional area.

Answer

Highest Ultimate Load = 135,900 lbs

If made of steel:

$$Z_x = (\text{force} \times \text{length}) \div (F_y \times 4)$$

$$Z_x = (135,900 \text{ lbs} \times 240 \text{ inches}) \div (4 \times 50,000 \text{ lbs/in}^2)$$

$$Z_x = 163.08 \text{ in}^3$$

If made of concrete:

$$Z_x = (135,900 \text{ lbs} \times 240 \text{ inches}) \div (4 \times 4,000 \text{ lbs/in}^2)$$

$$Z_x = 2038.5 \text{ in}^3$$